

38th International Conference on Massive Storage Systems and Technology
MSST 2024 (Research Track)
June 6-7, 2024 at Santa Clara University, Santa Clara, California, USA



Dissecting I/O Burstiness in Machine Learning Cloud Platform: A Case Study on Alibaba's MLaaS

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Outline

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- ◆ Motivation
- ◆ Burstiness & Heavy-tailed Property
- ◆ Auto-correlation & Self-similarity
- ◆ Synthesis
- ◆ Conclusion



Background

- Why Alibaba's MLaaS (Machine-Learning-as-a-Service)?
 - ✓ Alibaba Cloud launched **PAI** – the ML Platform for Artificial Intelligence
 - ✓ Representative - one of the leading MLaaS platforms in China
- For PAI:
 - ✓ Over 6500 GPUs across 1800 machines
 - ✓ See Fig. 1 for the architecture overview
- The scalable storage solutions rely on:
 - ✓ Four key components – Alibaba Cloud's object storage, distributed file system, data-base solutions, and elastic block storage

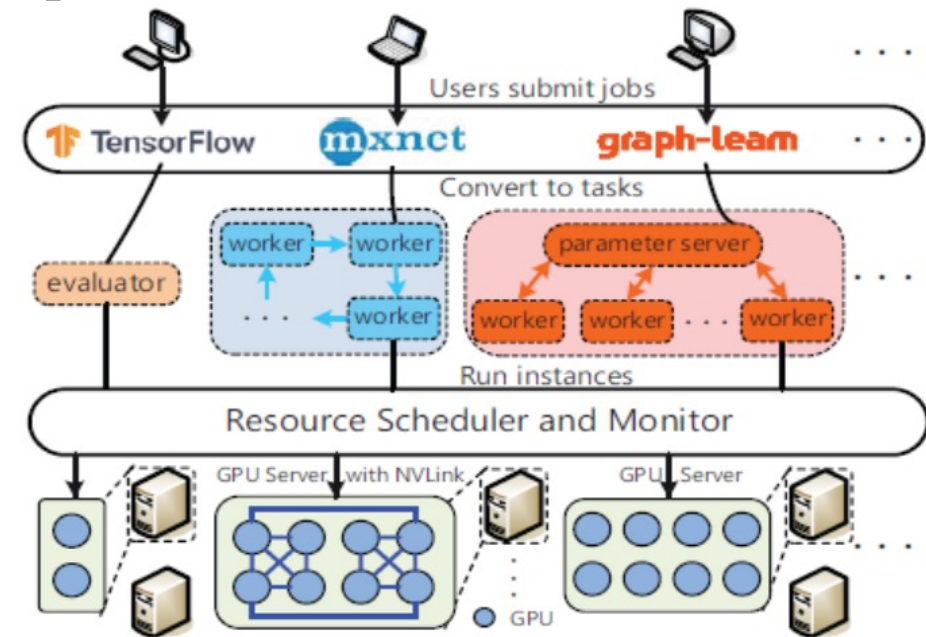


Fig. 1. PAI architecture overview.



Background

- PAI traces collected on machines of GPU clusters
 - ✓ The PAI traces at the job, task, and instance levels provide launch information including status, start_time, etc.
 - ✓ The machine-level PAI trace contains information, such as timestamps, I/O waiting times (iowait), execution times in user and kernel modes, etc.
 - ✓ See the referenced literature [1] for the details

- This study aims at:

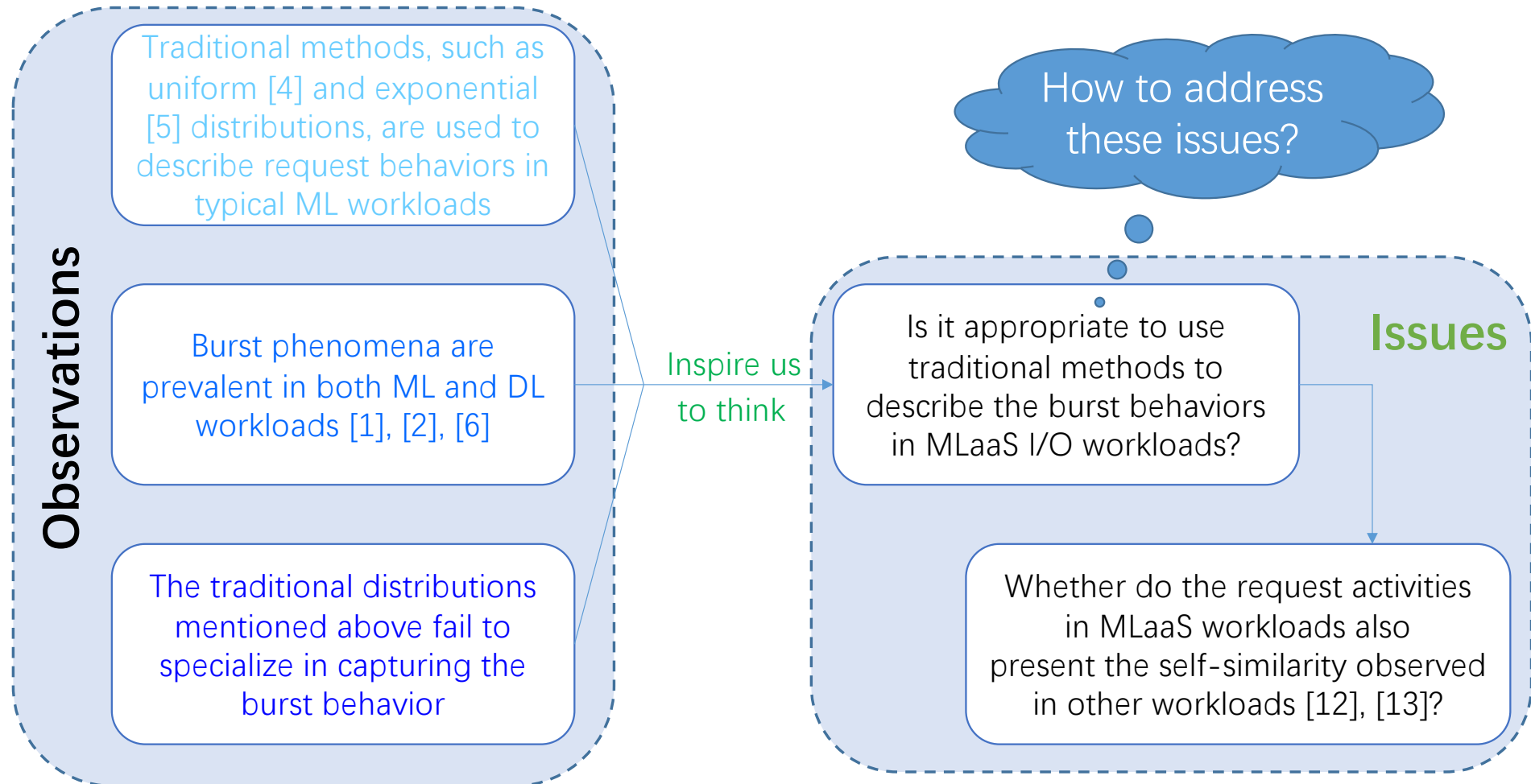
- ✓ The machine-level trace
- ✓ Timestamp information (in seconds for about two months)

TABLE I
SUMMARY OF PAI TRACE AND MACHINE SPECS OF GPU CLUSTERS [1].

| #Machines | 1800 | | Duration | 2 months | |
|--------------|------|-----|----------|----------|---------|
| Memory (GiB) | 512 | 512 | 512 | 384 | 512/384 |
| GPU type | P100 | T4 | Misc. | V100M32 | V100 |
| #GPUs | 2 | 2 | 8 | 8 | 8 |
| #Nodes | 798 | 497 | 280 | 135 | 104 |



Motivation





Burstiness & Heavy.

- To show the burstiness quantitatively,
 - ✓ By concept: *non-stationary*, a large *variance*;
 - ✓ Approach – empirical study
- Non-stationary:
 - ✓ 83% of I/O requests arrive within an interval of no more than 1 second
 - ✓ up to 72% of requests arrive simultaneously at certain moments (in seconds)
- Variance: as high as 8892
- To measure the strength of burstiness,
 - ✓ Using the *index of dispersion for intervals* (IDI) [20]
 - ✓ A larger value of the index of dispersion indicates stronger burstiness
 - ✓ We calculate the IDI for I/O arrivals in the PAI workload as 1519 (significant bursty)

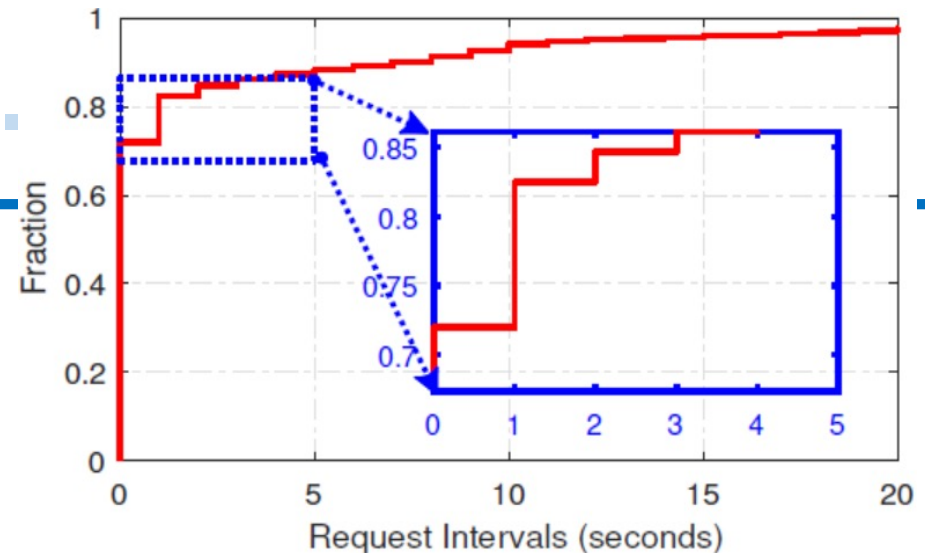


Fig. 2. Empirical CDF of request arrival intervals in the PAI workload.

Burstiness & Heavy-tailed Property

- Gaussianity Test:
 - ✓ helps accurately describe the tail trend in the distribution of access characteristics
 - ✓ can be conducted using a quantile-quantile (**QQ**) plot
- **For PAI** (see Figure 3):
 - ✓ The corresponding scatter points clearly do not fall on a straight line
 - ✓ Instead, the curve is concave upward, indicating a heavy-tailed trend
 - ✓ Suggesting that the I/O behaviors in the PAI workload are non-Gaussian

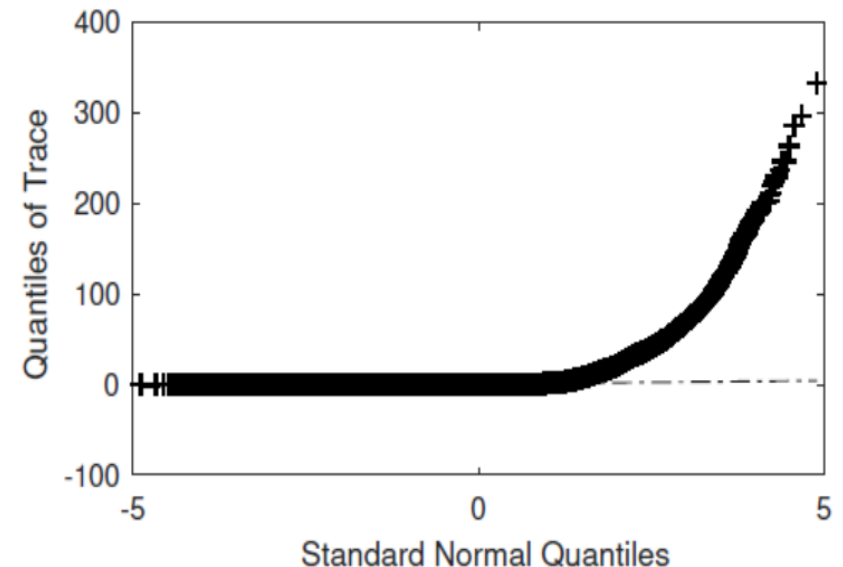


Fig. 3. Examine the Gaussianity of I/O request activities in the PAI workload through QQ plot of the PAI trace data versus standard normal, respectively.



Auto-correlation & Self-similarity

- Tool: Auto-Correlation Function (ACF)
 - ✓ For a time series $Y = \{Y_t: t = 1, 2, \dots, n\}$, $\theta = E[Y_t]$, $y_t = Y_t - \theta$,
 - ✓ Correlation coefficients: $R(k) = \frac{E[y_t \cdot y_{t+k}]}{E[y_t^2]}$, for $k \geq 0$
 - ✓ A correlation coefficient forms a mapping relationship with a time interval (also called *lag*) k
- How is the auto-correlation curve related to request activities?
 - ✓ **If** the correlation coefficients of arrival intervals decrease rapidly with the increase of *lag* and approach 0, there is almost no correlation.
 - ✓ **Otherwise**, there is a certain degree of correlation for requests



Auto-correlation & Self-similarity

- For I/O requests in the PAI workload, see Figure 4,
 - ✓ As the lag increases from 0 to 100, the correlation coefficients of I/O requests do not approach zero sharply; instead, they exhibit a gradual declining trend
 - ✓ There is a noticeable degree of correlation between request arrivals in the PAI workload
- Therefore, exploring self-similarity in the PAI workload becomes essential to accurately understand request behaviors

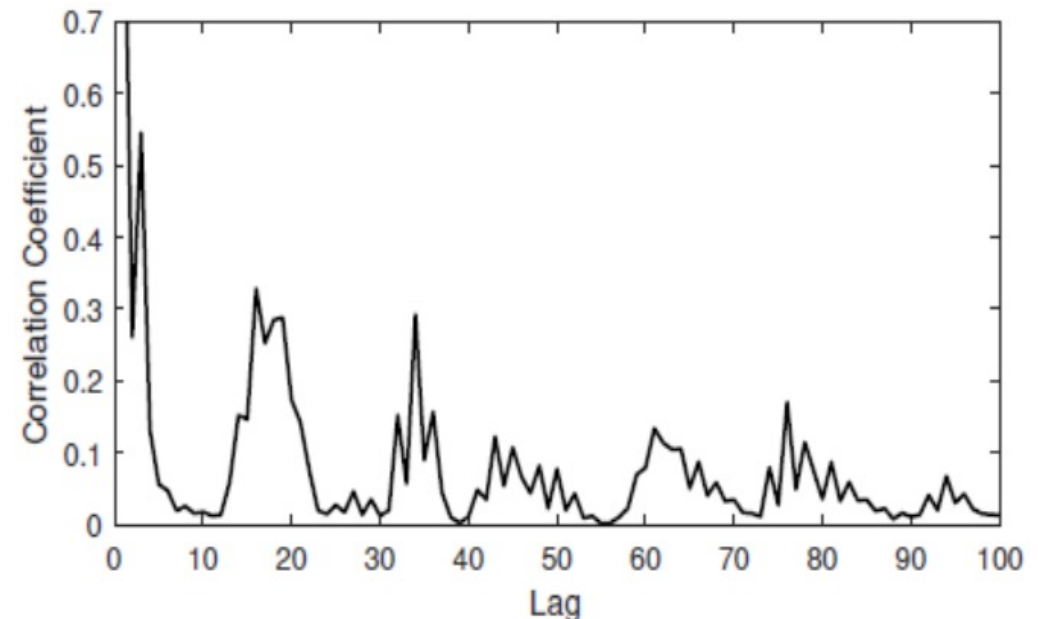


Fig. 4. Auto-correlation function of I/O request arrivals in the PAI workload.



Auto-correlation & Self-similarity

- What is self-similarity?
 - ✓ In brief, the characteristics of a certain process are similar from different time scales
- How to explore the self-similarity in system workloads?
 - ✓ Showing the visualization
 - ✓ Providing theoretical evidence
 - ✓ Estimating the *Hurst* parameter ($0.5 < H < 1$)
- The well-known tools to estimate the *Hurst* Parameter:
 - ✓ Variance-time plot [12]
 - ✓ R/S (rescaled adjusted range) analysis (also called Pox plot) [26]

Self-similarity (Visualization)

- Main trait: the persistence of bursts and burst aggregations at various timescales
- For PAI, see Figure 5:
 - ✓ Three different timescales in subplots (a)-(c);
 - ✓ each subsequent timescale being ten times larger than the previous one
 - ✓ Each subplot is derived from a subinterval randomly selected from the time range depicted in the following subplot and it enhances the temporal resolution by a factor of 10
- **Finding:** The time range characterized by bursty requests consists of nested subintervals, each is made of even smaller subintervals with similar burst behaviors.

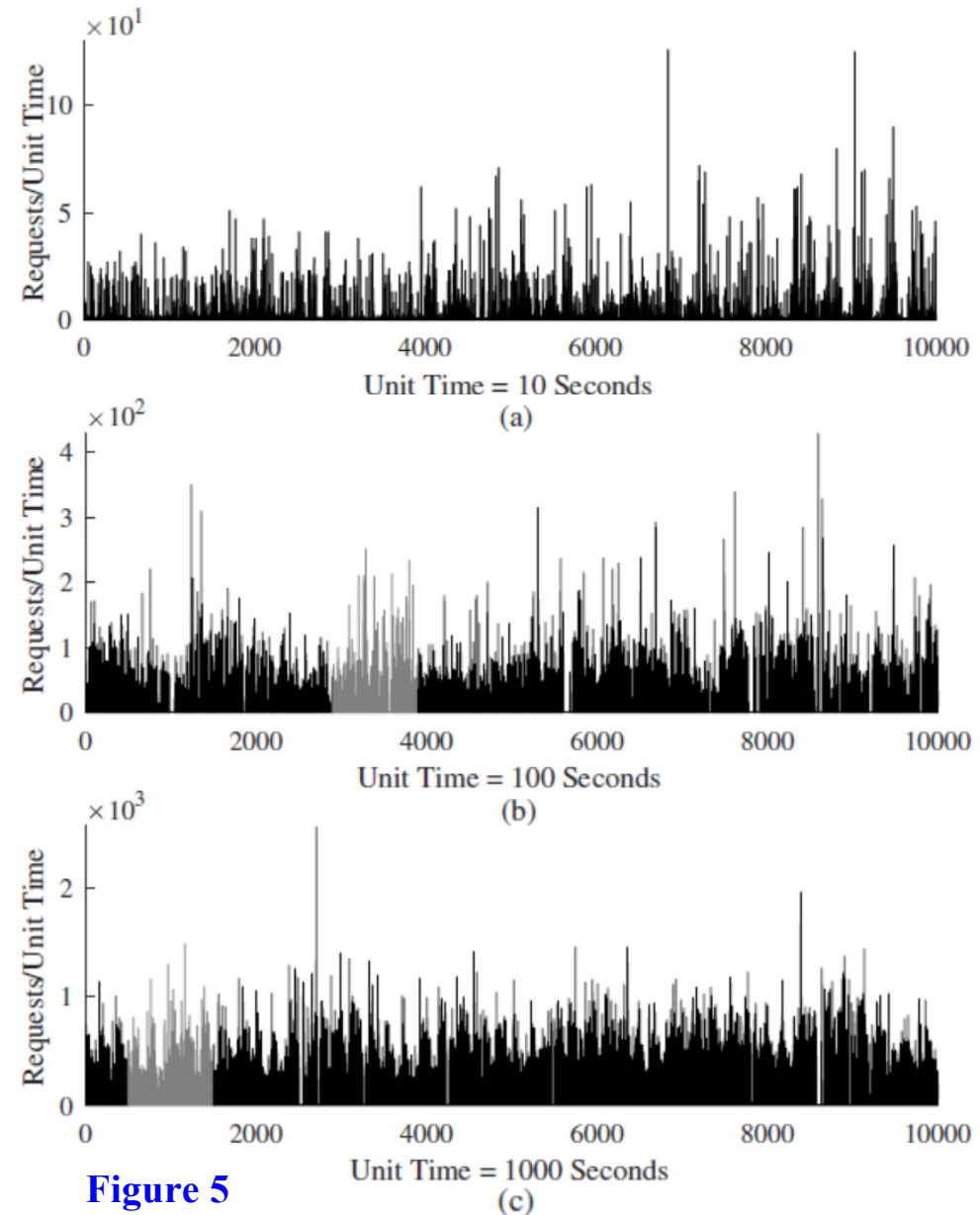
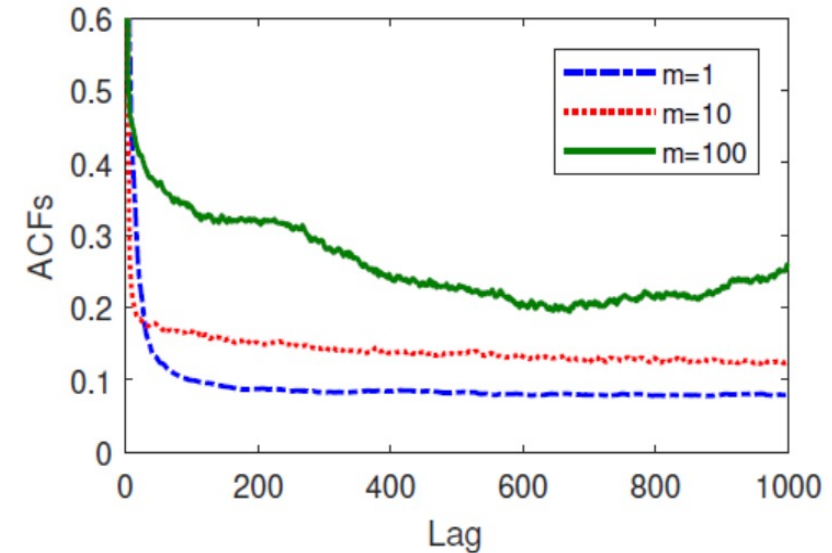


Figure 5

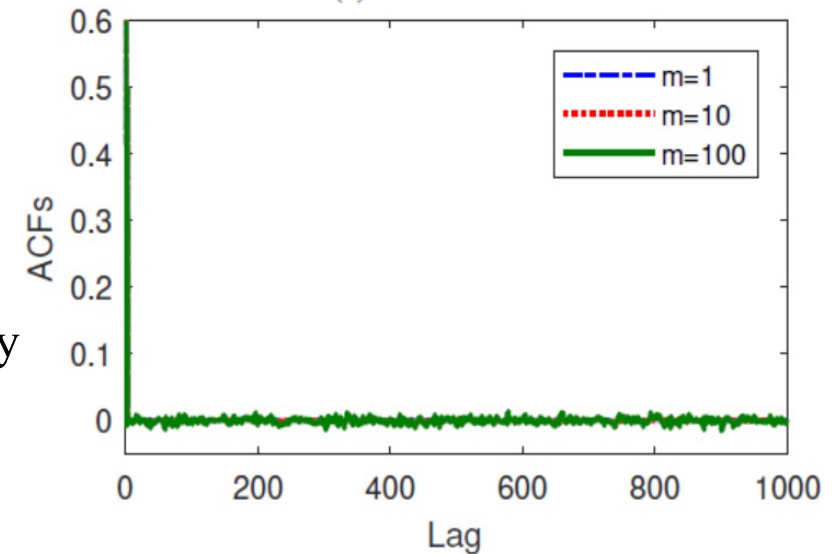


Self-similarity (Theoretical evidence)

- Theoretical basis: see the statements regarding the structure of $R^{(m)}(k)$ in Section IV-A
- Examining the auto-correlation functions of the aggregated time series of the request sequence at multiple aggregation levels
- For PAI, see Figure 6:
 - ✓ Plot (a) depicts the ACFs of the aggregated time series of the request sequence at multiple aggregation levels, that appear to converge to a similar function structure;
 - ✓ Plot (b) demonstrates that the auto-correlation coefficients of Poisson workload at each aggregation level are generally very small and almost equal to zero
- Quite different from Poisson, request activities in the PAI workload behave like a self-similar process



(a) PAI workload

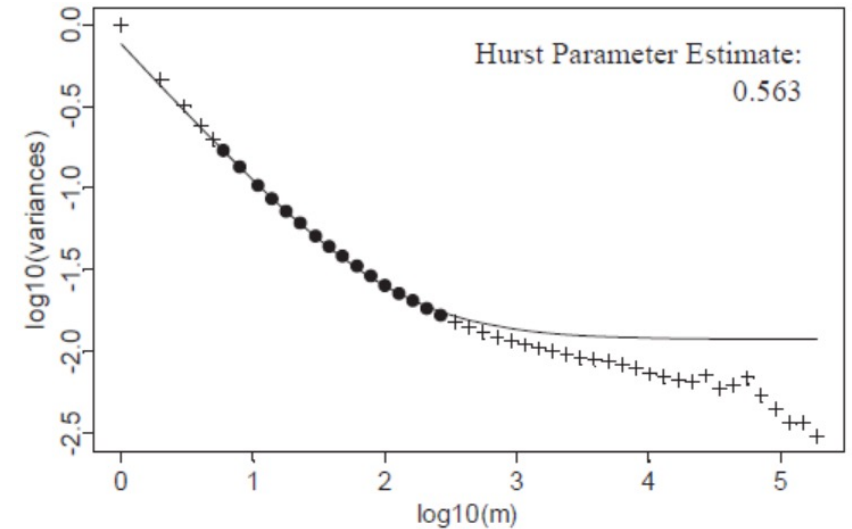


(b) Poisson workload

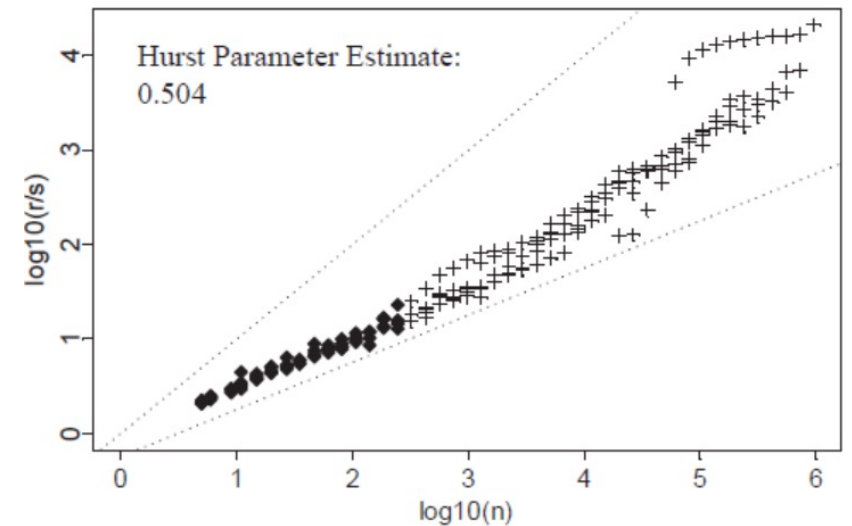
Figure 6

Self-similarity (Hurst Parameter)

- For the I/O request sequence in the PAI workload, the Hurst parameter can be estimated by:
 - ✓ The variance-time plot: see Fig. 7(a);
 - ✓ The Pox plot: see Fig. 7(b)
- Finding:
 - ✓ All Hurst parameter estimates are greater than 0.5;
 - ✓ Quantitatively confirming the existence of self-similarity



(a) The variance-time plot



(b) The Pox plot

Figure 7



Synthesis

- We have made the following findings:
 - ✓ The arrival process of I/O requests is highly bursty
 - ✓ Traditional methods struggle to accurately characterize the PAI workload, as the I/O arrivals show a certain degree of correlation
 - ✓ There seems to be self-similarity in the PAI workload
 - ✓ The I/O request activities in PAI appear to be non-Gaussian
- These findings inspire us to use several methods to synthesize I/O request series for the **self-similar** PAI workload



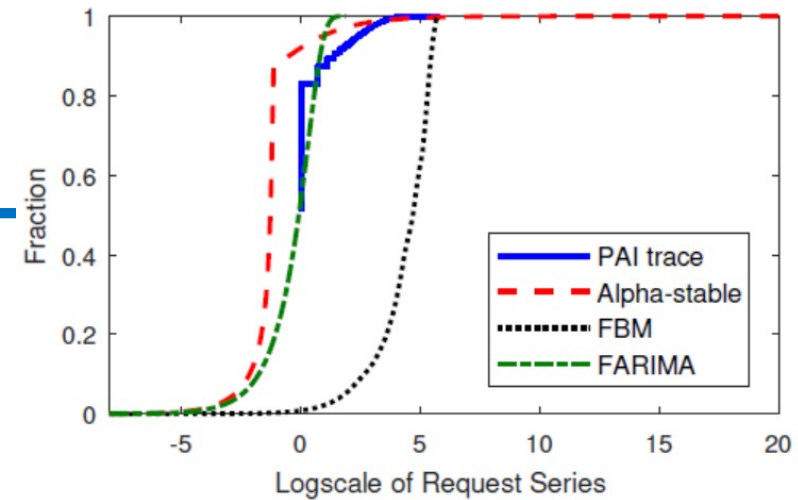
Synthesis

- Two typical self-similar workload models are chosen:
 - ✓ Fractional Brownian motion (FBM) [27] – is adept at characterizing self-similarity under Gaussian conditions
 - ✓ Fractional autoregressive integrated moving average (FARIMA) [28] – is well-known for its ability to describe both long-range and short-range dependences
- The versatile alpha-stable model [8] is also extended,
 - ✓ **by** redefining its model parameters to synthesize request series for PAI
 - ✓ **to** faithfully describe the bursts and heavy-tailed properties under non-Gaussian conditions



Synthesis

- To evaluate the accuracy of these models, we adopt:
 - ✓ The trimmed mean of errors [8];
 - ✓ The cumulative distribution functions (CDFs)
- The trimmed mean of errors for FBM, FARIMA, and alpha-stable models: **Figure 8**
 - ✓ is 109.46, 1.26, and 0.78, respectively;
 - ✓ the trimmed mean of the errors for the alpha-stable synthetic sequence (i.e., 0.78) is very close to that for the FARIMA synthetic one (i.e., 1.26)
- For the CDFs of the actual series and the synthetic ones, as shown in Figure 8:
 - ✓ Both the FARIMA synthetic sequence and the alpha-stable synthetic one exhibit convincing matching degrees
 - ✓ One advantage of the latter over the former is its ability to better capture the heavy-tailed feature





Conclusion

- Characterizing the request behaviors in MLaaS workloads is crucial for scheduling and managing the I/O subsystem in GPU clusters.
- This paper studies the burstiness of the I/O requests in a representative and real-world MLaaS workload – the PAI workload, and shows the existence of self-similarity in the PAI workload.
- Based on the inputs measured from real trace data, we deploy self-similar workload models to synthesize I/O request sequences for the PAI workload.

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Thank you!

